

UČNI NAČRT PREDMETA / COURSE SYLLABUS										
Predmet:	Izbrana poglavja iz algebre									
Course title:	Selected topics in algebra									
Študijski program in stopnja Study programme and level		Študijska smer Study field		Letnik Academic year	Semester Semester					
Izobraževalna matematika, dvopredmetni študij, 2. stopnja		Modul D1		1. ali 2.	1. ali 3.					
Educational mathematics, double major 2 nd degree		Module D1		1. or 2.	1. or 3.					
Vrsta predmeta / Course type										
Univerzitetna koda predmeta / University course code:										
Predavanja Lectures	Seminar Seminar	Sem. vaje Tutorial	Lab. vaje Laboratory work	Teren. vaje Field work	Samost. delo Individ. work	ECTS				
30		30			60	4				
Nosilec predmeta / Lecturer: Mateja GRAŠIČ										
Jeziki / Languages:	Predavanja/Lectures: SLOVENSKO/SLOVENE									
	Vaje / Tutorial: SLOVENSKO/SLOVENE									
Pogoji za vključitev v delo oz. za opravljanje študijskih obveznosti:				Prerequisites:						
Ne.				None.						
Vsebina:				Content (Syllabus outline):						
<ul style="list-style-type: none"> • Grupe in podgrupe. Simetrične grupe. • Konjugiranost elementov in podgrup. • Homomorfizmi in izomorfizmi grup. • Podgrupe edinke in faktorske grupe. • Delovanje grupe na množico. • Sylowske podgrupe, izreki Sylowa. • Kolobar, ideal, obseg. • Karakteristika kolobarja. Končna polja. 				<ul style="list-style-type: none"> • Groups and subgroups. Symmetric groups. • Conjugated elements and subgroups. • Group homomorphisms and isomorphisms. • Normal subgroups and factor groups. • Action of a group on a set. • Sylow subgroups, Sylow theorems • Ring, ideal, division ring. • The characteristics of a ring. Finite fields. 						

Temeljni literatura in viri / Readings:

W. Y. Gilbert, W. K. Nicholson, Modern Algebra with Applications, Wiley, Chichester 2004

S. Lang, Undergraduate Algebra, Springer, 2005

A. I. Kostrikin, Introduction to Algebra, Springer-Verlag, New York 1982

I. Vidav, Algebra, DMFA, Ljubljana 1980

N. Božović, Ž. Mihajlović. Uvod u teoriju grupa. Naučna knjiga, Beograd 1983

Cilji in kompetence:

Študentje spoznajo osnove teorije grup in polj, skupaj s spremljajočimi pojmi kot so podstruktura, homomorfizem, kvocientna struktura.

Objectives and competences:

The students get familiar with the fundamentals of the theory of groups and fields, including such related topics as substructure, homomorphism and factor structure.

Predvideni študijski rezultati:

Znanje in razumevanje:

- Razumevanje temeljnih pojmov algebrske strukture, njene podstrukture in izomorfnih struktur.
- Poznavanje osnovnih značilnosti in tipičnih primerov grup, kolobarjev in polj.

Prenesljive/ključne spretnosti in drugi atributi:

- Algebrske strukture z eno in dvema notranjima binarnima operacijama so osnova za razumevanje sodobne matematike.

Intended learning outcomes:

Knowledge and Understanding:

- Understanding the basic notions about an algebraic structure, its substructure and isomorphic structures.
- To recognize the typical properties and main examples of groups, rings and fields.

Transferable/Key Skills and other attributes:

- Algebraic structures with one and two inner binary operations are of principal importance for understanding the modern mathematics.

Metode poučevanja in učenja:

- Predavanja
- Seminarske vaje
- Individualno delo

Learning and teaching methods:

- Lectures
- Tutorial
- Individual work

Načini ocenjevanja:

Assessment:

Način (pisni izpit, ustno izpraševanje, naloge, projekt):	Dedež (v %) / Weight (in %)	Type (examination, oral, coursework, project):
Pisni izpit – praktični del Ustni izpit – teoretični del	50% 50%	Written exam – practical part Oral exam – theoretical part
Pisni izpit – praktični del se lahko nadomesti z dvema delnima testoma (sprotni obveznosti).		Written exam – practical part can be replaced by two partial tests (mid-term testing).
Vsaka izmed naštetih obveznosti mora biti opravljena s pozitivno oceno.		Each of the mentioned commitments must be assessed with a passing grade.
Opravljen pisni del izpita je pogoj za pristop k teoretičnem delu izpita.		Passing grade of the written exam is required for taking the oral exam.

Reference nosilca / Lecturer's references:

- 1.** BENKOVIČ, Dominik, GRAŠIČ, Mateja. Generalized skew derivations on triangular algebras determined by action on zero products. *Communications in algebra*, ISSN 0092-7872, 2018, vol. 46, iss. 5, str. 1859-1867. <https://doi.org/10.1080/00927872.2017.1360334>, doi: [10.1080/00927872.2017.1360334](https://doi.org/10.1080/00927872.2017.1360334). [COBISS.SI-ID [18505817](#)]
- 2.** GRAŠIČ, Mateja. Zero product determined Jordan algebras, II. *Algebra colloquium*, ISSN 1005-3867, 2015, vol. 22, iss. 1, str. 109-118, doi: [10.1142/S1005386715000103](https://doi.org/10.1142/S1005386715000103). [COBISS.SI-ID [21136136](#)]
- 3.** BENKOVIČ, Dominik, GRAŠIČ, Mateja. Generalized derivations on unital algebras determined by action on zero products. *Linear Algebra and its Applications*, ISSN 0024-3795. [Print ed.], 2014, vol. 445, str. 347-368. <http://dx.doi.org/10.1016/j.laa.2013.12.010>. [COBISS.SI-ID [20314120](#)]
- 4.** BIERWIRTH, Hannes, BREŠAR, Matej, GRAŠIČ, Mateja. On maps determined by zero products. *Communications in algebra*, ISSN 0092-7872, 2012, vol. 40, no. 6, str. 2081-2090. <http://dx.doi.org/10.1080/00927872.2011.570833>. [COBISS.SI-ID [16315481](#)]
- 5.** GRAŠIČ, Mateja. Zero product determined Jordan algebras, I. *Linear and Multilinear Algebra*, ISSN 0308-1087, 2011, vol. 59, no. 6, str. 671-685. <http://dx.doi.org/10.1080/03081087.2010.485199>. [COBISS.SI-ID [15927641](#)]