



Univerza v Mariboru

Fakulteta za naravoslovje
in matematiko

UČNI NAČRT PREDMETA / COURSE SYLLABUS						
Predmet:		Algebra I				
Course title:		Algebra I				
Študijski program in stopnja Study programme and level		Študijska smer Study field		Letnik Academic year		Semester Semester
Matematika				2.		3.
Mathematics				2.		3.
Vrsta predmeta / Course type				obvezni / compulsory		
Univerzitetna koda predmeta / University course code:						
Predavanja Lectures	Seminar Seminar	Sem. vaje Tutorial	Lab. vaje Laboratory work	Teren. vaje Field work	Samost. delo Individ. work	ECTS
45		30			135	7
Nosilec predmeta / Lecturer:		Matej Brešar				
Jeziki / Languages:		Predavanja / Lectures:	SLOVENSKO/SLOVENE			
		Vaje / Tutorial:	SLOVENSKO/SLOVENE			
Pogoji za vključitev v delo oz. za opravljanje študijskih obveznosti:				Prerequisites:		
Opravljen izpit iz Linearne algebre.				Passed exam in Linear Algebra.		
Oba izpita, pisni in ustni, morata biti opravljena s pozitivno oceno.				Each of the two exams, oral and written, must be assessed with a passing grade.		
Opravljen pisni izpit je pogoj za pristop k ustnemu izpitu.				Passing the written exam is a prerequisite for taking the oral exam.		

Vsebina:

Content (Syllabus outline):

Uvodni pojmi: binarne operacije, polgrupe, monoidi, cela števila.	Introductory notions: binary operations, semigroups, monoids, integers.
Uvod v teorijo grup: definicija in primeri grup, podgrupe, odseki in Lagrangeov izrek, ciklične grupe, generatorji grup.	Introduction to group theory: definition and examples of groups, subgroups, cosets and Lagrange's theorem, cyclic groups, group generators.
Uvod v teorijo kolobarjev: definicije in primeri kolobarjev, polj in algeber, podkolobarji (podpolja, podalgebre), karakteristika kolobarja, generatorji kolobarjev.	Introduction to ring theory: definitions and examples of rings, fields and algebras, subrings (subfields, subalgebras), characteristic of a ring, ring generators.
Homomorfizmi grup, homomorfizmi kolobarjev.	Group homomorphisms, ring homomorphisms.
Kvocientne strukture: podgrupe edinke in kvocientne grupe, ideali in kvocientni kolobarji, izreki o izomorfizmu.	Quotient structures: normal subgroups and quotient groups, ideals and quotient rings, isomorphism theorems.
Moduli: definicija in primeri modulov, prosti moduli, tenzorski produkti.	Modules: definition and examples of modules, free modules, tensor products.

Temeljna literatura in viri / Readings:

- M. Brešar, Uvod v algebro, DMFA, 2018.
- M. Brešar, Undergraduate algebra. A unified approach, Springer, 2019.
- Vidav, Algebra, DMFA, 1980.

Dodatna literatura / Additional Readings:

- D. S. Dummit, R. M. Foote, Abstract Algebra, Prentice-Hall International, Inc., 1991.
- J. Gallian: Contemporary Abstract Algebra, Brooks/Cole, 2013.

Cilji in kompetence:

Spoznati temeljne algebraične pojme in abstraktni način razmišljanja.

Objectives and competences:

Learning fundamental algebraic concepts and abstract thinking.

Predvideni študijski rezultati:

Znanje in razumevanje:
Študent pozna in zmore pojasniti osnovne algebrske strukture, njihove podstrukture, homomorfizme in kvocientne struktur.

Intended learning outcomes:

Knowledge and Understanding:

- The knowledge of and ability to explain basic algebraic structures and their substructures, homomorphisms, and quotient structures.

Prenesljive/ključne spretnosti in drugi atributi: • Pridobljena znanja so podlaga za študij skoraj vseh matematičnih področij.	Transferable/Key Skills and other attributes: • The obtained knowledge is a prerequisite for a study of almost any area of mathematics.
--	---

Metode poučevanja in učenja:
Learning and teaching methods:

• Predavanja • Seminarske vaje	• Lectures • Tutorial
---	--

Načini ocenjevanja:
Assessment:

Pisni izpit Ustni izpit	Delež (v %) / Weight (in %) 50% 50%	Written exam Oral exam
----------------------------	--	---------------------------

Opombe:

Pisni izpit se lahko nadomesti z vsaj dvema delnima testoma (sprotne obveznosti) v enakem deležu (50%).

Comments:

Written exam can be replaced by two or more partial tests (mid-term testing) in the same weight (50%).

Reference nosilca / Lecturer's references:

1. BREŠAR, Matej. <i>Zero product determined algebras</i>. Cham: Birkhäuser: Springer, cop. 2021. VIII, 185 str. Frontiers in mathematics. 2. BREŠAR, Matej. Automorphisms and derivations of finite-dimensional algebras. <i>Journal of algebra</i>. June 2022, vol. 599, str. 104-121. 3. BREŠAR, Matej, GODOY, María Luisa Castillo, VILLENA, A. R. Maps preserving two-sided zero products on Banach algebras. <i>Journal of mathematical analysis and applications</i>. [Print ed.]. Nov. 2022, vol. 515, iss. 1, art. 126372 (16 str.) 4. BAJUK, Žan, BREŠAR, Matej. Two-sided zero product determined algebras. <i>Linear algebra and its applications</i>. [Print ed.]. June 2022, vol. 643, str. 125-136. 5. BREŠAR, Matej, ŠEMRL, Peter. The Waring problem for matrix algebras. <i>Israel journal of mathematics</i>. Mar. 2023, vol. 253, iss. 1, str. 381-405.
