



Univerza v Mariboru

Fakulteta za naravoslovje
in matematiko

UČNI NAČRT PREDMETA / COURSE SYLLABUS						
Predmet:	Matematični principi					
Course title:	Mathematical Principles					
Študijski program in stopnja Study programme and level	Študijska smer Study field			Letnik Academic year	Semester Semester	
Matematika, 1. stopnja				1.	1.	
Mathematics, 1 st cycle				1.	1.	
Vrsta predmeta / Course type				Obvezni / Compulsory		
Univerzitetna koda predmeta / University course code:						
Predavanja Lectures	Seminar Seminar	Sem. vaje Tutorial	Lab. vaje Laboratory work	Teren. vaje Field work	Samost. delo Individ. work	ECTS
30		45			135	7
Nosilec predmeta / Lecturer:		Uroš MILUTINOVIĆ				
Jeziki / Languages:	Predavanja / Lectures:		SLOVENSKO/SLOVENE			
	Vaje / Tutorial:		SLOVENSKO/SLOVENE			
Pogoji za vključitev v delo oz. za opravljanje študijskih obveznosti:			Prerequisites:			
Jih ni.			There are none.			
Vsebina:			Content (Syllabus outline):			
Pojem matematične definicije. Pojem izreka: izreki tipa »če-potem«; izreki tipa »če in samo če«; osnovne logične povezave; poimenovanje izrekov (lema, trditev, izrek).			The concept of a mathematical definition. The concept of a theorem: »if-then« theorems; »if and only if« theorems; basic logic connections; naming theorems (lemma, proposition, theorem).			
Matematični dokaz: dokazovanje izrekov tipa »če in samo če«; pojem protiprimera. Dokaz s protislovjem.			Mathematical proof: proving »if and only if« theorems; the concept of a counterexample. Proof by contradiction.			
Metode dokazovanja: matematična indukcija, dokaz z najmanjšim protiprimerom, Dirichletov princip. Različni primeri za metode. Primeri:			Proof methods: mathematical induction, proof by smallest counterexample; the pigeon-hole principle. Different examples for the methods. Examples: even/odd; divisibility; factorial			

sodost/lihost; deljivost; faktorielna funkcija. Ekvivalenčne relacije, kongruenčne relacije.	function. Equivalence relations, congruence relations.
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Temeljni literatura in viri / Readings:

G. Polya, Kako rešujemo matematične probleme, DMFA založništvo, Ljubljana, 1989.
 E. R. Scheinerman, Mathematics, A Discrete Introduction. Second Edition. Brooks/Cool, Pacific Grove, 2006.
 Ronald L. Graham, Donald E. Knuth, Oren Patashnik, Concrete mathematics : a foundation for computer science, Addison-Wesley, 1999

Cilji in kompetence:

Spoznati temeljne principe matematike: definicija, izrek, dokaz. Spoznati različne načine dokazovanja matematičnih izrekov.

Objectives and competences:

To know basic mathematical principles: definition, theorem, proof. To know different ways of proving mathematical theorems.

Predvideni študijski rezultati:

Znanje in razumevanje:

- Razumevanje temeljnih principov matematike.
- Dokazovanje preprostejših izrekov z različnimi metodami.

Prenesljive/ključne spretnosti in drugi atributi:

- Pridobljena znanja so osnova za vse druge matematične predmete.

Intended learning outcomes:

Knowledge and Understanding:
 Be able to understand basic principles of mathematics.
 Be able to prove simpler theorems using different methods.

Transferable/Key Skills and other attributes:

- The obtained knowledge forms a foundation for all the other mathematical subjects.

Metode poučevanja in učenja:

- Predavanja
- Teoretične vaje

Learning and teaching methods:

Lectures
 Theoretical exercises

Načini ocenjevanja:

Assessment:

Način (pisni izpit, ustno izpraševanje, naloge, projekt)	Delež (v %) / Weight (in %)	Type (examination, oral, coursework, project):
Izpit: Pisni izpit – problemi Ustni izpit – teorija	50% 50%	Exams: Written exam – problems Oral exam – theory
Pisni izpit – problemi se lahko nadomesti z dvema delnima testoma (ki sta sprotni obveznosti).		Written exam – problems can be replaced with two mid-term tests.
Tako pisni izpit – problemi kot ustni izpit – teorija morata biti opravljena s pozitivno oceno.		Both written exam - problems and oral exam - theory must be assessed with a passing grade.

Pozitivna ocena pri pisnem izpitu - problemi je pogoj za pristop k ustnemu izpitu – teorija.

Passing grade of the written exam – problems is required for taking the oral exam – theory.

Reference nosilca / Lecturer's references:

1. BANIČ, Iztok, ČREPNIJAK, Matevž, MERHAR, Matej, MILUTINOVIĆ, Uroš, SOVIČ, Tina. The closed subset theorem for inverse limits with upper semicontinuous bonding functions. Bulletin of the Malaysian Mathematical Society, ISSN 0126-6705, 2019, vol. 42, iss. 3, str. 835-846, doi: 10.1007/s40840-017-0517-5. [COBISS.SI-ID 23281928].
2. BANIČ, Iztok, ČREPNIJAK, Matevž, MERHAR, Matej, MILUTINOVIĆ, Uroš. The (weak) full projection property for inverse limits with upper semicontinuous bonding functions. Mediterranean journal of mathematics, ISSN 1660-5446, Aug. 2018, vol. 15, iss. 4, str. 1-21, doi: 10.1007/s00009-018-1209-6. [COBISS.SI-ID 23960328].
3. BANIČ, Iztok, ČREPNIJAK, Matevž, MERHAR, Matej, MILUTINOVIĆ, Uroš, SOVIČ, Tina. An Anderson-Choquet-type theorem and a characterization of weakly chainable continua. Mediterranean journal of mathematics, ISSN 1660-5446, 2017, vol. 14, iss. 2, str. 1-14, doi: 10.1007/s00009-017-0868-z. [COBISS.SI-ID 22997512]
4. BANIČ, Iztok, ČREPNIJAK, Matevž, ERCEG, Goran, MERHAR, Matej, MILUTINOVIĆ, Uroš. Inducing functions between inverse limits with upper semicontinuous bonding functions. Houston journal of mathematics, ISSN 0362-1588, 2015, vol. 41, no. 3, str. 1021-1037. [COBISS.SI-ID 21550856]
5. BANIČ, Iztok, ČREPNIJAK, Matevž, MERHAR, Matej, MILUTINOVIĆ, Uroš. Inverse limits, inverse limit hulls and crossovers. Topology and its Applications, ISSN 0166-8641. [Print ed.], 2015, vol. 196, str. 155-172, doi: 10.1016/j.topol.2015.09.040. [COBISS.SI-ID 21615112]