



Univerza v Mariboru

Fakulteta za naravoslovje
in matematiko

UČNI NAČRT PREDMETA / COURSE SYLLABUS

Predmet:	Algebra
Course title:	Algebra

Študijski program in stopnja Study programme and level	Študijska smer Study field	Letnik Academic year	Semester Semester
Matematika, 3. stopnja		1. ali 2.	1. ali 2. ali 4.
Mathematics, 3 rd Degree		1 st or 2 nd	1 st or 2 nd or 4 th

Vrsta predmeta / Course type obvezni ali izbirni/obligatory or elective

Univerzitetna koda predmeta / University course code:

Predavanja Lectures	Seminar Seminar	Vaje Tutorial	Klinične vaje work	Druge oblike študija	Samost. delo Individ. work	ECTS
60					240	10

Nosilec predmeta / Lecturer: Matej Brešar

Jeziki / Languages:	Predavanja / Lectures:	Slovenski in angleški jezik; Slovene and English
	Vaje / Tutorial:	Slovenski in angleški jezik; Slovene and English

Pogoji za vključitev v delo oz. za opravljanje študijskih obveznosti:

Osnovno poznanje temeljnih algebrskih struktur: grup, vektorskih prostorov, kolobarjev in polj.

Prerequisites:

Basic knowledge of fundamental algebraic structures: groups, vector spaces, rings and fields.

Vsebina:

Content (Syllabus outline):

Kategorije: osnovni pojmi in primeri.

Grupe: osnovna teorija, struktura grup.

Moduli: pomembni tipi modulov, verižni pogoji, tenzorski produkti.

Komutativna algebra: razširitve polj in Galoisova teorija, komutativni kolobarji.

Nekomutativna algebra: osnovna teorija, struktura nekomutativnih kolobarjev in algeber.

Neasociativna algebra: osnovni pojmi in primeri.

Nekatere izmed teh tem so obdelane podrobneje, druge pa le na osnovni ravni. Pri izboru se upoštevajo interesi in raziskovalne usmeritve študentov.

Categories: basic concepts and examples.

Groups: basic theory, the structure of groups.

Modules: important types of modules, chain conditions, tensor products.

Commutative algebra: field extensions and Galois theory, commutative rings.

Noncommutative algebra: basic theory, the structure of noncommutative rings and algebras.

Nonassociative algebra: basic concepts and examples.

Some of these topics are treated in greater detail, and some of them only at a basic level. The selection depends on students' interests and their research orientation.

Temeljni literatura in viri / Readings:

- W. A. Adkins, S. H. Weintraub, Algebra. An approach via module theory. Springer-Verlag, 1999.
- Y. Bahturin, Basic structures of modern algebra, Kluwer AP, 1991.
- P. M. Cohn, Basic algebra. Groups, rings and fields, Springer-Verlag, 2003.
- P. A. Grillet, Abstract algebra, Springer-Verlag, 2007.
- T. W. Hungerford, Algebra, Springer-Verlag, 1980.
- I. M. Isaacs, Algebra. A graduate course, Brooks/Cole Publishing Company, 1994.
- A. W. Knap, Basic algebra, Springer-Verlag, 2006.
- S. Lang, Algebra, Springer-Verlag, 2002.

Cilji in kompetence:

- Doseči poglobljeno razumevanje teoretskih in metodoloških konceptov s področja Algebre
- Razviti sposobnost samostojnega razvijanja novega znanja s področja Algebre
- Razviti sposobnost za samostojno reševanje najzahtevnejših problemov iz Algebre
- Razviti sposobnost izboljševanja znanih in odkrivanja novih rezultatov s področja Algebre
- Zmožnost razvijanja kritične refleksije na področju Algebre
- Razviti zmožnost vodenja najzahtevnejših znanstvenoraziskovalnih projektov s širšega področja Algebre.

Objectives and competences:

- To achieve a deeper understanding of theoretical and methodological concepts of Algebra
- To develop the ability to independently develop new knowledge in the field of Algebra
- To develop the ability for solving the most challenging problems in Algebra
- To develop the ability of improving known results as well as obtaining new results in Algebra
- Ability to develop critical reflection in Algebra
- To develop the ability to lead the most challenging scientific research projects in the wider field of Algebra

Predvideni študijski rezultati:

Znanje in razumevanje:

- poznavanje osnovnih algebrskih področij;
- razumevanje osnovnih algebrskih pojmov.

Prenesljive/ključne spretnosti in drugi atributi:

- podlaga za raziskovalno delo na področju algebre;
- pridobljeno znanje za uporabo algebre na drugih matematičnih področjih.

Intended learning outcomes:

Knowledge and understanding:

- knowledge of basic topics in algebra;
- understanding fundamental algebraic concepts.

Transferable/Key Skills and other attributes:

- a basis for research in algebra;
- knowledge needed for applying algebra to other mathematical areas.

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Metode poučevanja in učenja:

- predavanja;
- priprava seminarja;
- konzultacije;
- samostojni študij.

Learning and teaching methods:

- lectures;
- seminar work;
- consultations;
- self-study.

Načini ocenjevanja:

Način (pisni izpit, ustno izpraševanje, naloge, projekt)
Seminar
Pisni izdelek
Ustni izpit

Delež (v %) /

Weight (in %)

Assessment:

Type (examination, oral, coursework, project):
Seminar
Written work
Oral Examination

Reference nosilca / Lecturer's references:

Y. Bahturin, M. Brešar, Š. Špenko, Lie superautomorphisms on associative algebras, II, Algebras Repr. Th. 15 (2012), 507--525.

M. Brešar, Multiplication algebra and maps determined by zero products, Linear Multilinear Algebra 60 (2012), 763--768.

Y. Bahturin, M. Brešar, M. Kochetov, Group gradings on finitary simple Lie algebras, International Journal of Algebra and Computation 22 (2012), 250046.

M. Brešar, I. Klep, A local-global principle for linear dependence of noncommutative polynomials, Israel J. Math. 193 (2013), 71-82.

M. Brešar, Š. Špenko, Functional identities in one variable, J. Algebra 401 (2014), 234-244.